

I FIND THE FOLLOWING DEFINITE INTEGRALS:

$$\textcircled{1} \int_0^3 x \sqrt{9-x^2} dx$$

$$\textcircled{2} \int_e^{e^2} \frac{1}{x \ln x} dx$$

$$\textcircled{3} \int_1^e \frac{60}{x(3 \ln x + 2)^2} dx$$

$$\textcircled{4} \int_4^{36} \frac{5}{x+2\sqrt{x}} dx$$

$$\textcircled{5} \int_0^{\pi/3} \frac{18 \sec \theta \tan \theta}{(2 \sec \theta - 1)^3} d\theta$$

$$\textcircled{6} \int_0^{\ln 3} \frac{36}{e^{2x} + 9} dx$$

$$\textcircled{7} \int_{-3}^3 x^7 \sqrt[3]{x^{10} + 4} dx$$

$$\textcircled{8} \int_{-1}^3 |6x - 3x^2| dx$$

$$\textcircled{9} \int_{-\pi/8}^{\pi/8} \sin^5 \frac{x}{3} dx$$

$$\textcircled{10} \int_{-2}^2 x^2 \sqrt{64-x^6} dx$$

II IF THE SPEED OF A BUG MOVING ALONG A LINE AFTER T MINUTES IS GIVEN BY
 $f(t) = \frac{60t}{(t^2+1)^2}$ FT/MIN, FIND ITS AVERAGE SPEED FOR THE FIRST 3 MINUTES.

12 IF $P(t) = 6.1 e^{t/80}$ GIVES THE APPROXIMATE POPULATION OF THE WORLD (IN BILLIONS)
 T YEARS AFTER 2000, FIND THE AVERAGE POPULATION BETWEEN 2000 AND 2010.

13 ASSUME THAT THE TOTAL COST OF PRINTING X COPIES OF A TEXTBOOK IS
 GIVEN BY $C(x) = 30,000 + 20x$ (DOLLARS).

A) FIND THE AVERAGE COST PER UNIT IF 1,000 COPIES ARE PRINTED.

B) FIND THE AVERAGE VALUE OF THE COST FUNCTION ON $[0, 1000]$.

III FIND THE AREA OF THE REGION BOUNDED BY THE FOLLOWING CURVES:

$$\textcircled{14} y = \frac{1}{6}(x+4) \quad \text{AND} \quad x = 5 - 3y^2$$

$$\textcircled{15} y = 3x^2, \quad y = \frac{24}{x}, \quad x=1, \quad \text{AND} \quad x=4$$

$$\textcircled{16} x = 6 - y^2 \quad \text{AND} \quad x = y^2 - 4y$$

$$\textcircled{17} y = 3 \ln x, \quad y = 2 \ln(x-5), \quad y=0, \quad \text{AND} \quad y=6$$