

## ERRATA

### Applied Analysis

(Corrected in online files but not in Second Printing)

- p. 115: Replace statement of Theorem 5.53 with: “A consistent approximation scheme is convergent if and only if it is stable.”
- p.115: Replace last paragraph (“Conversely...”) of the proof of Theorem 5.53 with: “Conversely, we prove that a convergent scheme is stable. For any  $f \in Y$ , let  $u_\epsilon = A_\epsilon^{-1}f$ . Then, since the scheme is convergent, we have  $u_\epsilon \rightarrow u$  as  $\epsilon \rightarrow 0$ , where  $u = A^{-1}f$ , so that  $u_\epsilon$  is bounded. Thus, there exists a constant  $M_f$ , independent of  $\epsilon$ , such that  $\|A_\epsilon^{-1}f\| \leq M_f$ . The uniform boundedness theorem, which we do not prove here, then implies that there exists a constant  $M$  such that  $\|A_\epsilon^{-1}\| \leq M$ , so the scheme is stable.”
- p. 213, Exercise 8.14: Replace last sentence by: “Use a polarization-type identity to prove that if  $\mathcal{H}$  is a complex Hilbert space and

$$\langle x, Ax \rangle = \langle x, Bx \rangle \quad \text{for all } x \in \mathcal{H},$$

then  $A = B$ . What can you say about  $A$  and  $B$  for real Hilbert spaces?”

- p. 239, Exercise 9.3: “Suppose that  $A$  is a bounded linear operator on a...”
- p. 362, “... $1/x$  belongs to...”
- p. 427 “Dautry” should be “Dautray”.
- p. 428 “Mallet” should be “Mallat”.