

① APPROXIMATE  $\int_0^2 \frac{8}{x^2+4} dx$  USING  $n=4$  AND

- A) THE MIDPOINT RULE, (ROUND OFF ANSWERS TO 4 DECIMAL PLACES.)  
 B) THE TRAPEZOIDAL RULE.  
 C) SIMPSON'S RULE.

② APPROXIMATE  $\int_0^4 \frac{10}{\sqrt{x^3+1}} dx$  USING  $n=4$  AND

- A) THE MIDPOINT RULE, (ROUND OFF ANSWERS TO 4 DECIMAL PLACES.)  
 B) THE TRAPEZOIDAL RULE.  
 C) SIMPSON'S RULE.

③ THE SPEED OF A CAR IN FT/SEC AFTER  $t$  SEC IS GIVEN BY THE FOLLOWING TABLE:

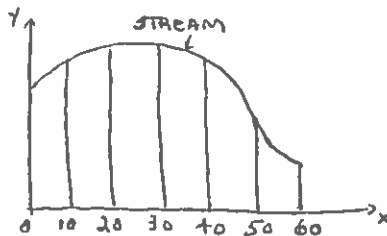
$t$	0	5	10	15	20	25	30
$ v(t) $	0	24	42	60	72	82	90

APPROXIMATE THE TOTAL DISTANCE TRAVELED BY THE CAR IN THE FIRST 30 SECONDS USING

- A) THE TRAPEZOIDAL RULE, (ROUND OFF ANSWERS TO THE NEAREST FOOT.)  
 B) SIMPSON'S RULE.

④ A LOT IS BOUNDED BY TWO PERPENDICULAR ROADS AND A STREAM, USING THE LENGTHS (MEASURED IN FT) GIVEN BELOW, ESTIMATE THE AREA OF THE LOT USING

- A) THE TRAPEZOIDAL RULE, (ROUND OFF ANSWERS TO THE NEAREST INTEGER.)  
 B) SIMPSON'S RULE.



$x$	0	10	20	30	40	50	60
$y$	54	60	64	69	62	48	25

⑤ FIND THE SMALLEST VALUE OF  $n$  REQUIRED TO GUARANTEE THAT THE ERROR IN APPROXIMATING

$\int_1^3 \frac{1}{x+4} dx$  IS AT MOST  $10^{-5}$  USING

- A) THE TRAPEZOIDAL RULE,  
 B) THE MIDPOINT RULE,  
 C) SIMPSON'S RULE.