

USE THE DEFINITION OF THE LIMIT OF A SEQUENCE (GIVEN BELOW AND ON P. 574)
TO PROVE THE FOLLOWING LIMITS:

$$\textcircled{1} \lim_{n \rightarrow \infty} \frac{2}{\sqrt{n}} = 0$$

$$\textcircled{2} \lim_{n \rightarrow \infty} \frac{6n-8}{2n-1} = 3$$

$$\textcircled{3} \lim_{n \rightarrow \infty} \frac{n^2-2n}{n^2+4} = 1$$

$$\textcircled{4} \lim_{n \rightarrow \infty} r^n = 0 \quad \text{if } |r| < 1.$$

DEF (P. 574)

$\lim_{n \rightarrow \infty} a_n = L$ IFF FOR EVERY $\epsilon > 0$ THERE IS A POSITIVE INTEGER N
SUCH THAT IF $n > N$, THEN $|a_n - L| < \epsilon$.

